

Energy Tradeoff among Communication, Computation and Caching with QoI-Guarantee in Wireless Sensor Networks



Faheem Zafari (Imperial College London), Jian Li (UMass Amherst), Kin K. Leung (Imperial College London), Don Towsley (UMass Amherst), Ananthram Swami (U.S. Army Research Laboratory).

Motivation and Model

Energy is one fundamental limit of sensors. Communication, Computation and Caching consume energy: computation and caching both reduce communication costs:

- How much to compress the data?
- Where to cache the data?

A tree-structured Network:

- Leaf nodes generate data and sink node serves requests for these data
- Data transmitted along paths causes transmission, reception, computation and caching costs
- Decision variables at each node for each data: compression ratio (real) and caching decisions (binary)
- Goal: minimize the total energy over the network subject to QoI and capacity constraints
- Non-convex Mixed Integer Nonlinear Programming (MINLP): NP-hard

$$\begin{aligned} \min_{\delta, b} \quad & E^{\text{total}}(\delta, b) \triangleq \sum_{k \in \mathcal{K}} (E_k^C + E_k^R) \\ \text{s.t.} \quad & \sum_{k \in \mathcal{K}} y_k \prod_{i=0}^{h(k)} \delta_{k,i} \geq \gamma, \\ & b_{k,i} \in \{0, 1\}, \forall k \in \mathcal{K}, i = 0, \dots, h(k), \\ & \sum_{k \in C_v} b_{k, h(v)} y_k \prod_{j=h(k)}^{h(v)} \delta_{k,j} \leq S_v, \forall v \in V, \\ & \sum_{i=0}^{h(k)} b_{k,i} \leq 1, \forall k \in \mathcal{K}, \end{aligned}$$

Where

$$\begin{aligned} E_k^C &= \sum_{i=0}^{h(k)} y_k f(\delta_{k,i}) \prod_{m=i+1}^{h(k)} \delta_{k,m}, \\ E_k^R &= \sum_{i=0}^{h(k)} y_k (R_k - 1) \left\{ f(\delta_{k,i}) \prod_{m=i+1}^{h(k)} \delta_{k,m} \left(1 - \sum_{j=0}^{i-1} b_{k,j} \right) \right. \\ & \quad \left. + \left(\prod_{m=i}^{h(k)} \delta_{k,m} \right) b_{k,i} \left(\frac{w_{ca} T}{R_k - 1} + \varepsilon_{kT} \right) \right\}. \end{aligned}$$

Algorithm: V-SBB

Symbolic Reformulation: Transform non-convex and non-linear terms into linear and convex terms.

Variational Spatial Branch and Bound: Eliminate bound-tightening steps in SBB, improving computational complexity and convergence.

Evaluation

We evaluate the performance of V-SBB and the energy efficiency of our formulation through tree structured networks:

- V-SBB, achieves ε -global optimal solution in reasonable time and is more robust to varying network parameters.
- V-SBB outperforms other solvers: NOMAD, GA and Bonmin.
- Our joint optimization framework over communication, computation and caching (C3) improves energy efficiency by as much as 88% compared to the optimization over communication and computation (C2), or communication and caching.

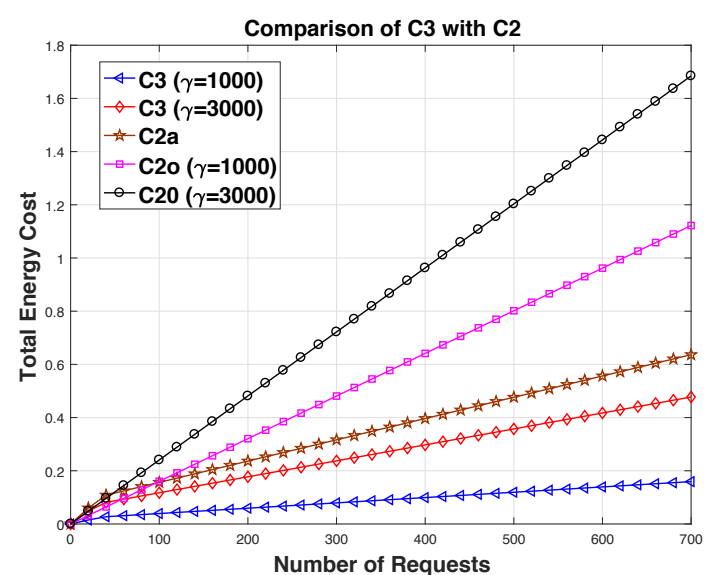


Figure 1: Comparison of C3 and C2 optimization for a seven-node binary tree network.

Solver	$\gamma=1$		$\gamma=5$		$\gamma=50$	
	Obj.	Time (s)	Obj.	Time	Obj.	Time
Bonmin	0.0002	0.214	0.0003	0.224	0.0021	0.364
V-SBB	0.00011	1871	0.00019	1243	0.0020	3325
Imp. (%)	52.45		50.30		4.62	

Table 1: Comparison between V-SBB and Bonmin for a seven-node binary tree network.